

# Malleable Optical Trap Formed in a Bow Tie Cavity

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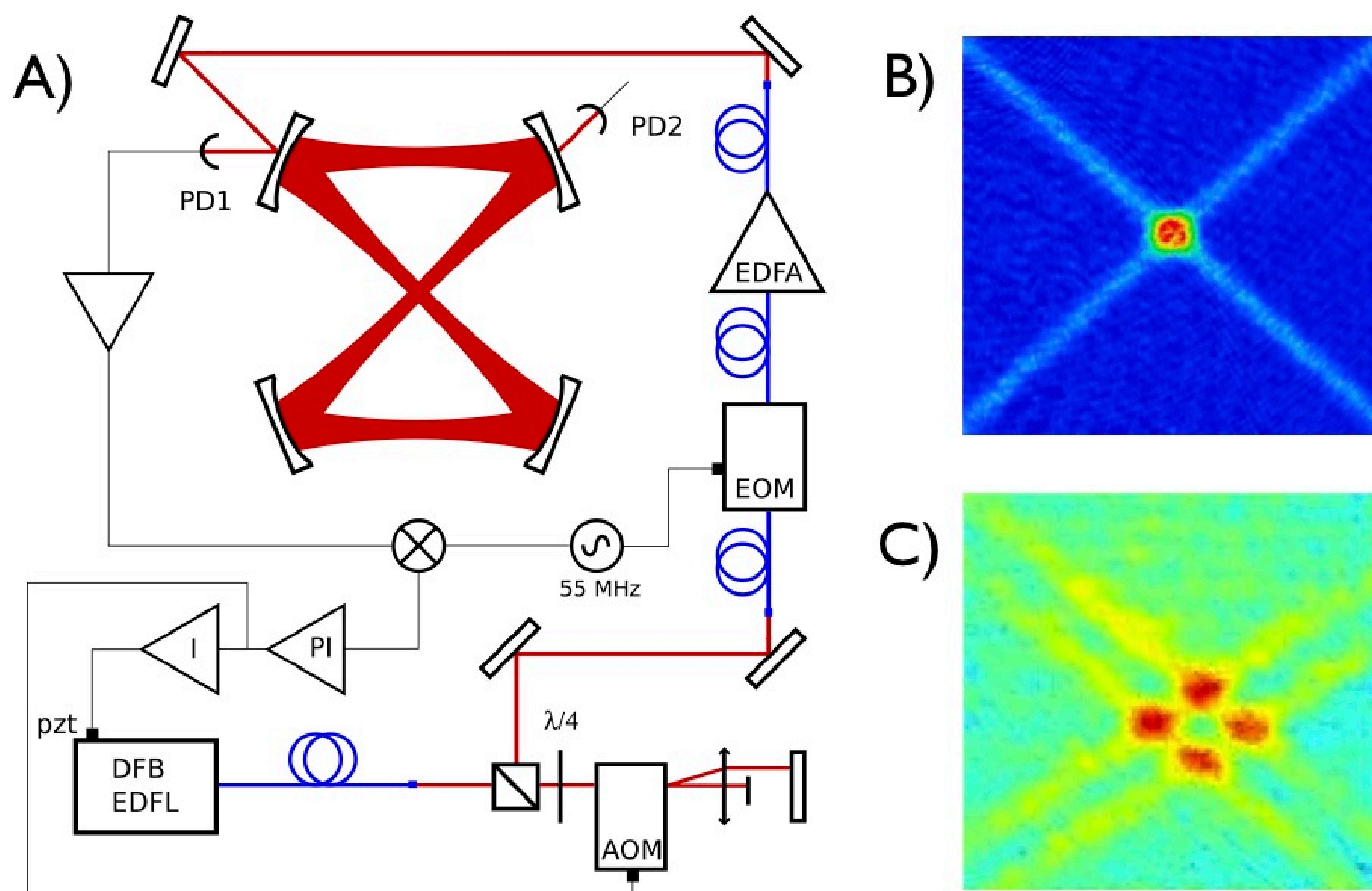
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## Objective

We propose a unique setup consisting of multiple transversally pumped BECs inside a sub-recoil, traveling wave (degenerate) cavity to explore the creation of novel quantum states including 'emergent' phenomena with ultra-cold atoms inside dynamical (compliant) optical lattices, photon-mediated long-range interactions inside a BEC, and the realization of entanglement between independent BECs.

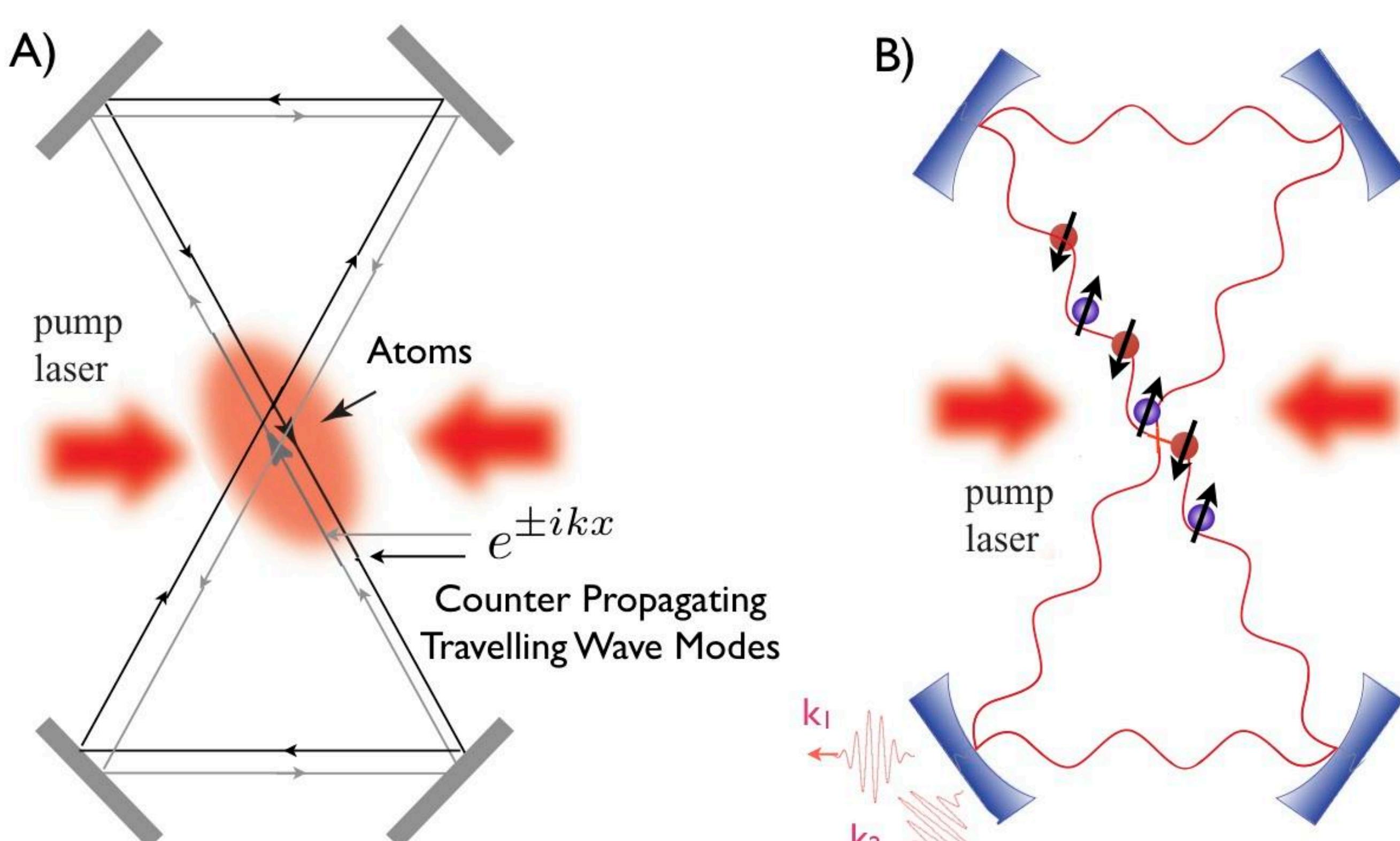
## Experimental Setup

- A) a doubly degenerate **Bow Tie Cavity** with 1560 nm and 780 nm is loaded with  $^{87}\text{Rb}$  atoms. The cavity can be pumped by 1560 nm light in the TEM<sub>0,0</sub> or the TEM<sub>1,0</sub> spatial mode of the cavity, creating either,
- B) a single crossing point or C) four crossing points.



## Uniqueness of Our Scheme

- The standard **Fabry Perot Cavity** forces boundary conditions on the cavity light  $\Rightarrow$  standing wave (static) intra-cavity lattice.
- On the other hand our **Bow Tie Cavity (A)** supports traveling waves solutions  $\Rightarrow$  dynamic intra-cavity lattice potential (B).

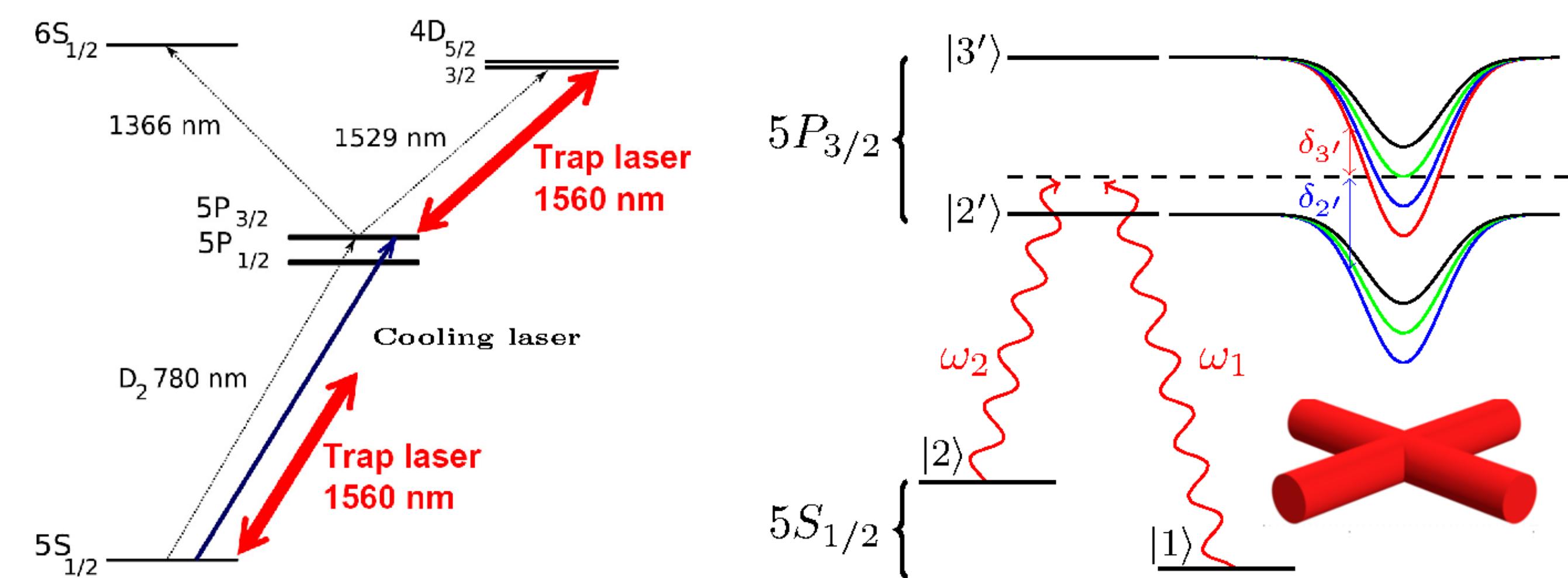


## Acknowledgements

## Contact Information

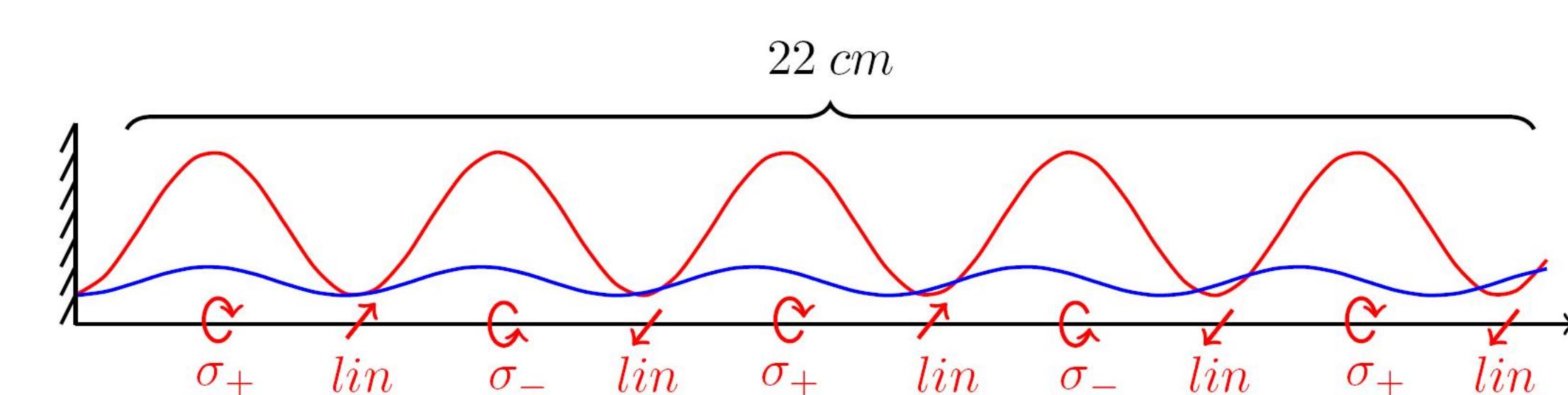
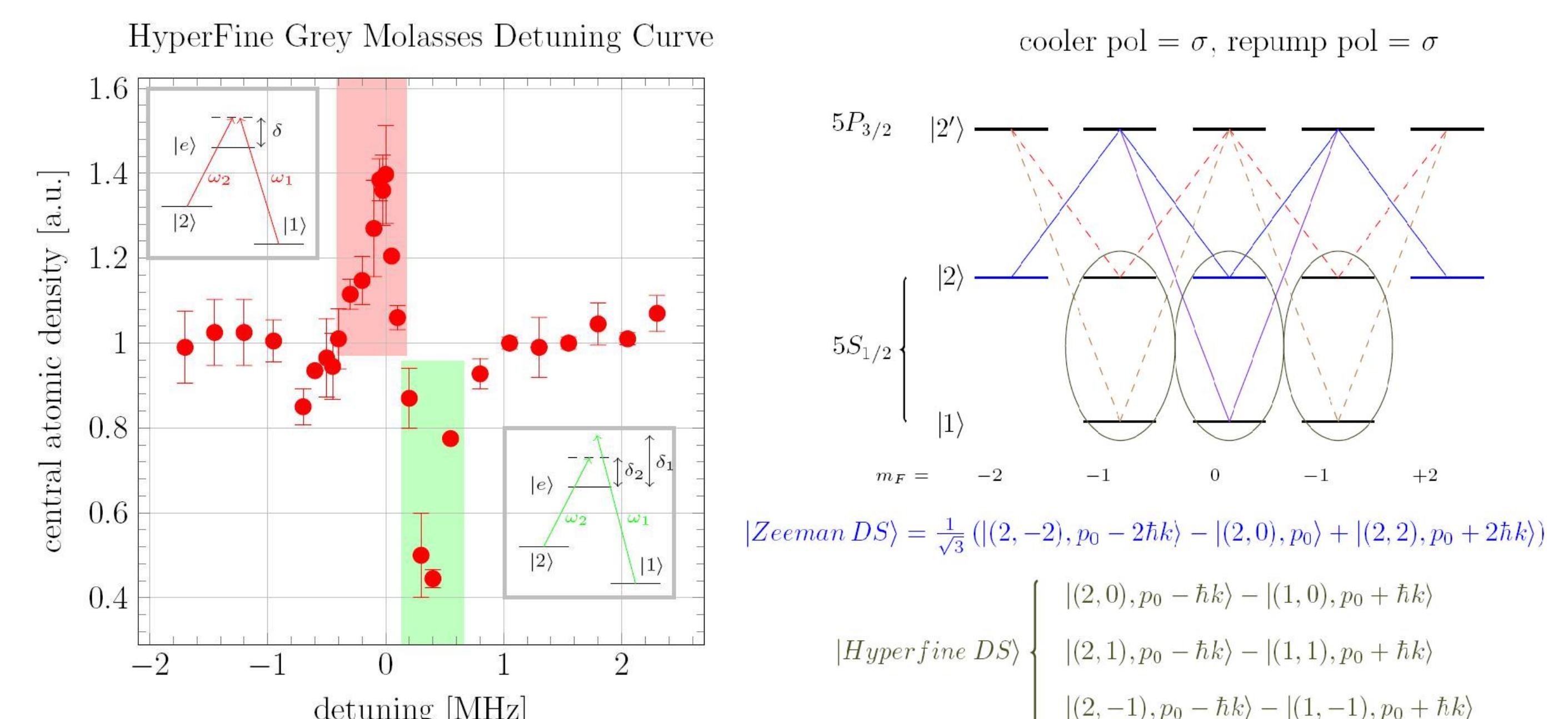
## Differential AC Stark Shift

The far detuned 1560 nm dipole trap produces a large differential Stark shift between  $5S_{1/2}$  and  $5P_{3/2}$  manifolds of  $^{87}\text{Rb}$ . Therefore, cooler and repump frequencies ( $\omega_2$  and  $\omega_1$  respectively) need to be adjusted inside the trap.

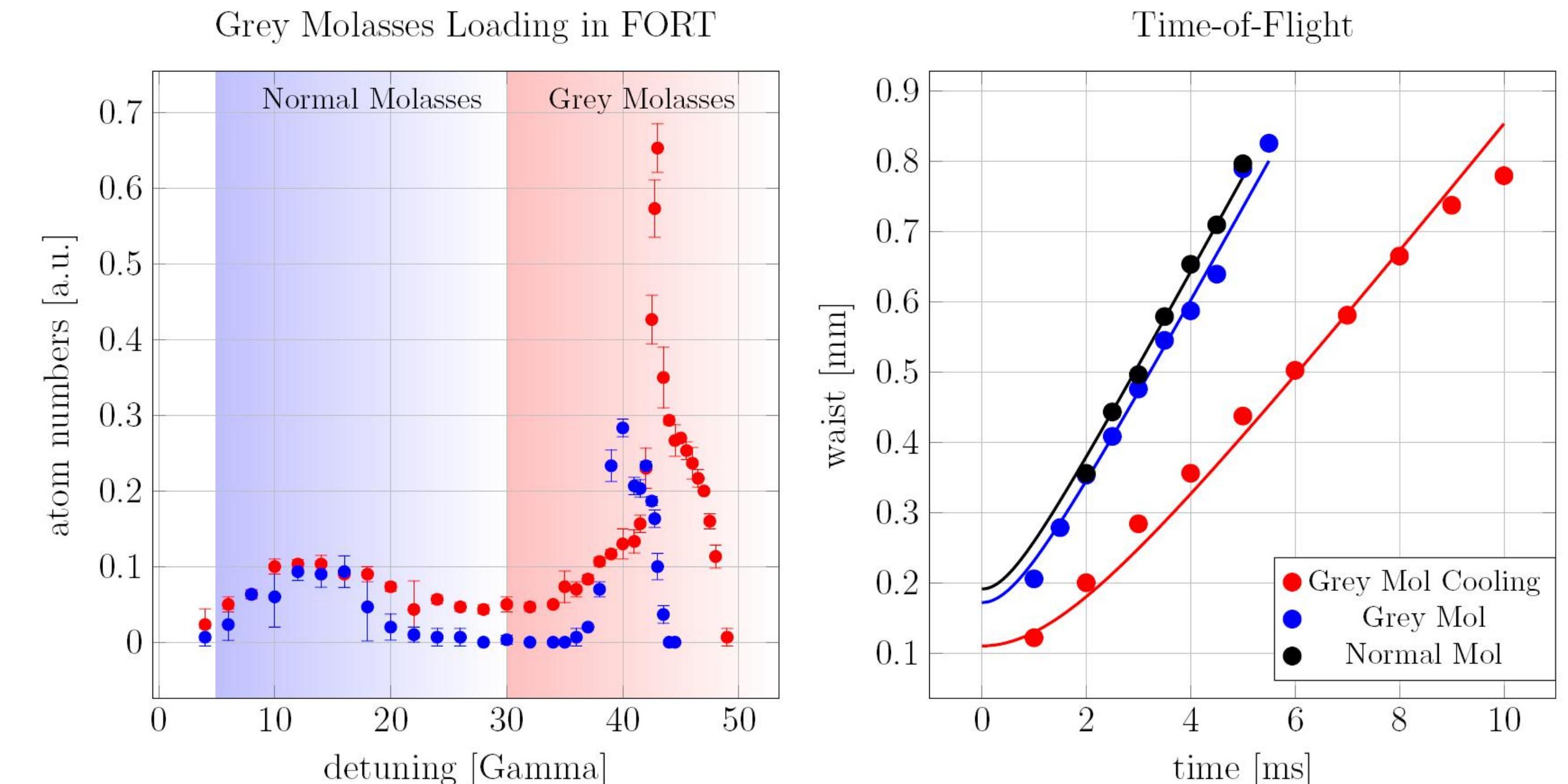


## Results: Enhanced Loading and Cooling

We present a new scheme to load and cool atoms into a dipole trap utilizing Hyperfine Dark and Bright states arising through two-photon Raman transitions. The combination of dark and bright states creates a Sysiphus like mechanism leading to 7 times more efficient loading of the dipole trap and 4 times lower temperatures.



Zeeman DS =  $\frac{1}{\sqrt{3}}(|(2,-2), p_0 - \hbar k\rangle - |(2,0), p_0\rangle + |(2,2), p_0 + 2\hbar k\rangle)$



## References

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